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## MoS<sub>2</sub> Enhanced T-Phase Stabilization and Tunability Through <sup>2</sup> Alloying

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Supporting Information 7

ABSTRACT: Two-dimensional MoS<sub>2</sub> is a promising material for nanoelectronics and 8 catalysis, but its potential is not fully exploited since proper control of its multiple phases 9 (H, T, ZT) and electronic properties is lacking. In this theoretical study, alloying is 10 proposed as a method to stabilize the MoS<sub>2</sub> T-phase. In particular, MoS<sub>2</sub> is alloyed with 11 another material that is known to exist in a monolayer MX<sub>2</sub> T-structure, and we show 12 that the formation energy difference among phases decreases even for low impurity 13 concentrations in MoS<sub>2</sub>, and a relationship between impurity concentration and alloy 14 band gap is established. This method can be potentially applied to many two-15

dimensional materials to tune/enhance their electronic properties and stabilities in order 16

to suit the desired application. 17

mong two-dimensional transition metal dichalcogenides 18 -(TMDs), MoS<sub>2</sub> has attracted the most attention due to its 19 20 semiconducting characteristics and its direct band gap that 21 make it suitable for a large number of applications. MoS<sub>2</sub> has 22 been applied in electronics as a FET channel,<sup>1</sup> in energy storage  $_{23}$  as lithium-ion battery anode or cathode,<sup>2</sup> or in catalysis for CO<sub>2</sub> 24 reduction<sup>3,4</sup> or hydrogen evolution<sup>5</sup> reactions. Monolayer MoS<sub>2</sub> 25 is known to exist in different phases: H, T, and ZT.<sup>6</sup> The 26 former is thermodynamically stable and semiconducting with 27 an experimentally reported band gap of 1.9 eV.<sup>7,8</sup> By contrast, 28 the metallic T structure was found to undergo a Peierls 29 transition to the distorted ZT structure.<sup>9</sup> Upon relaxation to the 30 ZT phase, a small energy gap (theoretically predicted to be 31 around 0.02 eV<sup>10</sup>) is opened. Recently, much effort has been 32 made to stabilize T phases over H with the aim of gaining 33 enhanced electrical performance, such as lower contact 34 Schottky barriers,<sup>11</sup> or better catalytic activity due to the 35 improved electron transfer of the metallic phase.<sup>12</sup> Although 36 several techniques were proposed so far, such as alkali metal 37 intercalation,<sup>10,13,14</sup> straining<sup>6</sup> and surface functionalization,<sup>15,16</sup> 38 proper control of the transition is yet to be achieved.

In this theoretical work we propose a new route for the MoS<sub>2</sub> 39 40 T phase stabilization: alloying with an MX<sub>2</sub> (M: metal, X: chalcogen atom) material for which the T phase is the 41 42 thermodynamically stable one. In particular, SnS<sub>2</sub> is found to be 43 a suitable candidate for such a purpose, since it is known to 44 exist in the T phase only.<sup>17</sup> The advantage of alloying is that 45 doping concentration is a direct way to tune MoS<sub>2</sub> properties, 46 and a new degree of freedom would then be added to engineer 47 devices based on this possibility. Unlike other techniques such 48 as functionalization, alloying would not render TMDs 49 susceptible to deterioration of organic bonds in air, although

if desired the monolayer could still be chemically functionalized 50 for further optimization.

T/ZT-Mo\_Sn

The effects of substitutional impurities in MoS<sub>2</sub> have been 52 studied both theoretically and experimentally. For example, Suh 53 et al. were able to dope single crystal H-MoS<sub>2</sub> with Nb up to 54 0.5% atomic percentage with the intention of realizing a p-type 55 semiconductor.<sup>18</sup> Concentrations up to 25% were experimen- 56 tally reported in fullerene-like Nb, Mo1-, S2 nanoparticles.<sup>19</sup> 57 Subsequently, Re impurities were successfully introduced both 58 in MoS<sub>2</sub> fullerene-like nanoparticles and nanotubes.<sup>20</sup> Modu- 59 lation of the band gap was achieved by Se substitution in single 60 layer MoS<sub>2</sub> and confirmed by photoluminescence experi- 61 ments.<sup>21</sup> An extensive theoretical work on a large variety of 62 impurities has been performed by Dolui et al.,<sup>22</sup> who predicted 63 Nb to be the most suitable p-type dopant due to its low 64 formation energy and the induced shift of Fermi level into the 65 valence band. By contrast, n-type dopants were found to 66 generate deep donor levels in the MoS<sub>2</sub> band gap making 67 electron promotion to the conduction band difficult.

In this study a combined density functional theory (DFT) 69 and cluster expansion (CE) based approach is used to predict 70 the structural and electronic properties of Mo<sub>x</sub>Sn<sub>1-x</sub>S<sub>2</sub> alloys 71 with the aim of stabilizing the metallic MoS<sub>2</sub> phase. Cluster 72 expansion has already been applied to MoS<sub>2</sub><sup>23</sup> to investigate <sub>73</sub> how H-MoS<sub>2</sub> formation energy, lattice constant and band gap 74 change when substituting Se and Te to S. Here, we exploit CE 75 to compare the stability among MoS<sub>2</sub> phases, which also serves 76 more broadly as an example for how the cluster expansion 77



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78 formalism can be used to predict the stability of two-79 dimensional multiphase materials.

The CE method accurately predicts alloy stability and 80 81 concentration dependent phase diagrams. Total energies 82 calculated by DFT are the basic elements that allow CE to 83 predict properties of the full phase diagram of an alloy. In fact, 84 the accuracy of interaction coefficients among groups of atoms, 85 also referred to as effective cluster interactions (ECI), depends 86 on the number of DFT calculated structures. These coefficients 87 determine the configurational energy of each structure at 88 varying concentrations such that the most stable one is 89 identified. The construction of a phase diagram is a step by step 90 process that involves alternating DFT and CE calculations. The 91 CE software suggests the most appropriate input structure for 92 the next DFT calculation. At the end of the first-principles 93 simulation the energy is returned to the CE program and a new 94 expansion is calculated. The expansion is used to predict the 95 energy of all configurations for the full concentration range, 96 accessing also those arrangements that are too computationally 97 demanding for DFT and preventing the need for an extremely 98 large set of first-principles calculations. The configurations 99 simulated in DFT are not randomly generated but rather driven 100 by the CE software. The main goals of the CE algorithm when 101 proposing a new structure are to improve the predictive power 102 of the expansion and to confirm by means of DFT simulations 103 the ground states estimated by the expansion. CE was 104 performed by means of the ATAT software package.<sup>24</sup> DFT 105 calculations were carried out using the Vienna ab initio 106 simulation package (VASP)<sup>25</sup> within the projector-augmented 107 wave pseudopotential framework.<sup>26</sup> The generalized gradient 108 approximation in the Perdew-Burke-Ernzerhof (PBE) for-109 mulation<sup>27</sup> was used for the exchange-correlation functional, 110 with a plane wave energy cutoff of 350 eV. Spin polarization 111 and van der Waals forces, accounted for via the DFT-D2 112 method,<sup>28</sup> were included in the calculations. Spin-orbit 113 coupling (SOC) was neglected due to the minimal energetic 114 stabilization induced by this effect: tests accounting for SOC 115 showed that the total energy difference between MoS<sub>2</sub> and SnS<sub>2</sub> 116 is increased by only 0.03 eV per unit formula. The k-point grid 117 was set to  $18 \times 18 \times 1$  for monolayer unit cells and reduced 118 accordingly as the supercell dimensions increased in order to 119 ensure the same k-point density. As a test, k-points were 120 doubled for some of the pure monolayer and alloy structures, 121 and no modification of total energy or electronic properties was 122 observed, confirming the reliability of the Brillouin zone 123 sampling. A vacuum region of about 10 Å was introduced 124 between layers in the supercell to avoid spurious interactions 125 between periodic replicas. Structural relaxation was considered 126 converged when forces on atoms were below 0.01 eV/Å. Both 127 DFT and CE formation energies  $E_{\rm form}$  of each configuration were calculated as  $E_{\text{form}} = E_{\text{Mo}_x \text{Sn}_{1-x} \text{S}_2} - [x E_{\text{H}-\text{Mo} \text{S}_2} + (1 - x)]$ 128  $_{129} E_{T-SnS_2}$ ], where  $E_{Mo_xSn_{1-x}S_2}$ ,  $E_{H-MoS_2}$  and  $E_{T-SnS_2}$  are respectively 130 the total energy of the alloy, the  $H-MoS_2$  and  $T-SnS_2$ 131 monolayers, and x is the concentration of Mo in SnS<sub>2</sub>. The 132 reliability of the CE predictions for these metal dichalcogenides 133 was confirmed by DFT calculations of impurity-impurity 134 interactions (see Supporting Information). A plot of the 135 formation energy of a single substitutional impurity versus 136 supercell size shows no change in the formation energy beyond 137 four unit cells. The ECI coefficients for clusters that are more 138 than four unit cells apart are accordingly close to zero. 139 Moreover, even though the H-MoS<sub>2</sub> total energy is known to

be lowered by spin-orbit coupling,<sup>29</sup> accounting for SOC in 140 the cluster expansion does not alter the phase crossover point, 141 indicating that SOC effects have a negligible impact on the 142 stability analysis. 143

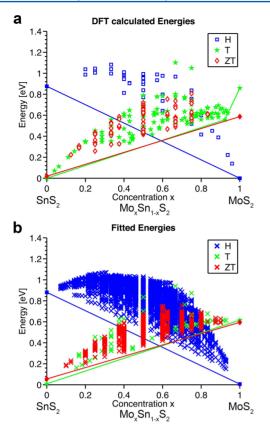
Before considering the alloying between  $MoS_2$  and  $SnS_2$ , we 144 calculate and discuss the properties of the pure phase as 145 predicted by PBE-DFT. In Table 1, we list our calculated lattice 146 t1

Table 1. MoS<sub>2</sub> and SnS<sub>2</sub> Monolayers Lattice Constants *a* and *b*, Metal–Sulfur Bond Distance  $d_{M-S}$ , Electronic Band Gap  $E_g$  and Energy Difference  $\Delta E$  Calculated with Respect to the Most Stable Phase for Each Material

$MX_2$	a (Å)	b (Å)	$d_{\rm M-S}$ (Å)	$E_{\rm g}~({\rm eV})$	$\Delta E$ (eV)
H-MoS <sub>2</sub>	3.19	3.19	2.41	1.58	0.00
$T-MoS_2$	3.21	3.21	2.43	0.00	0.82
$ZT-MoS_2$	6.51	3.19	2.39-2.46	0.06	0.59
H-SnS <sub>2</sub>	3.60	3.60	2.63	0.78	0.87
$T-SnS_2$	3.69	3.69	2.59	1.57	0.00

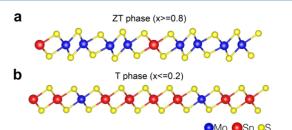
parameters, bond distances, electronic band gaps, and relative 147 formation energies. The MoS<sub>2</sub> and SnS<sub>2</sub> characteristics are well 148 represented by the PBE functional and agree with previous 149 results.<sup>10,30,31</sup> The MoS<sub>2</sub> phase stability ordering is also in good 150 agreement with previous work, with H the most stable phase 151 followed by ZT and T.<sup>10</sup> H-MoS<sub>2</sub> possesses a 1.58 eV band gap 152 which is reduced to 0.06 eV in the ZT phase and disappears in 153 the T phase. A small difference was found in terms of bond 154 distances between H and T, while ZT distances vary greatly due 155 its puckered structure. In the case of tin, T-SnS<sub>2</sub> is 156 semiconducting with a PBE band gap of 1.57 eV. H-SnS<sub>2</sub> is 157 0.87 eV higher in energy with respect to the T phase, and it has 158 a band gap of 0.78 eV, although negative frequencies are found 159 in the phonon dispersion spectrum, indicating a thermodynami- 160 cally unstable structure (see Supporting Information for further 161 details). Bond distances are similar among the SnS<sub>2</sub> phases. 162

The CE of each phase (H, T, ZT) was computed separately, 163 leading to three phase diagrams. Since SnS<sub>2</sub> has no native ZT 164 phase, SnS<sub>2</sub> automatically recovered the T symmetry upon 165 DFT relaxation when no Mo dopant was present. Results of 166 cluster expansion performed on the three phases are plotted 167 together in Figure 1, where the two reference energies are T- 168 fl  $SnS_2$  total energy for concentration x = 0 and H-MoS<sub>2</sub> total 169 energy for x = 1. The H phase CE is plotted in blue, T phase 170 CE in green, and ZT phase CE in red. The graph describes how 171 the energy of each phase varies with respect to the most stable 172 one. Figure 1a illustrates the energy of each DFT structure used 173 in the expansion, whereas Figure 1b shows the related fitted 174 energies, i.e., the alloy configurational energies predicted by CE 175 resulting from the DFT calculations. In both plots, the solid 176 line represents the convex hull, which shows all the ground 177 states throughout the phase diagram. DFT and fitted energies 178 agree among each other, confirming the validity of the 179 expansions. The large set of DFT calculations was needed to 180 guarantee the correct identification of the ground state 181 structures and to improve the accuracy of the expansion. The 182 only difference between DFT and fitted energies is seen at x = 1 183 in the T phase. Pure T-MoS<sub>2</sub> is unstable, so including this 184 structure in the T phase CE would necessarily lead to 185 inaccurate results. Therefore, for x = 1 only, the ZT-MoS<sub>2</sub> 186 DFT energy was taken as a reference point for the T phase CE 187 (shown in Figure 1b), although T-MoS<sub>2</sub> was left in Figure 1a 188 for reference. 189



**Figure 1.**  $SnS_2$ -MoS<sub>2</sub> phase diagram showing the DFT calculated energies used for the CE fitting (a) and the resulting predicted energies from the CE (b). H, T, and ZT phases are respectively represented in blue, green, and red. In both plots, the reference energies are the DFT total energies of T-SnS<sub>2</sub> for x = 0 and H-MoS<sub>2</sub> for x = 1.

190 Energetically, the most stable phase of  $MoS_2$  is the H phase 191 (Table 1 and right side of Figure 1). As tin is added within the 192 MoS<sub>2</sub> layer, the formation energy of the H phase increases, 193 while formation energies of the T and ZT phases decrease until 194 they become the most stable ones in the Mo-rich side of the plot, at around x = 0.6. Due to this simultaneous effect, even 195 196 with a small amount of impurity atoms in MoS<sub>2</sub>, the energy 197 difference among phases at fixed concentrations is reduced. 198 Already at x = 0.8, the ZT/H formation energy is lowered by  $\sim$ 50% compared to the pure phases. Hence, alloying has a large 199 200 impact on the MoS<sub>2</sub> phase balance. The more Sn atoms, which 201 would prefer to arrange in the T phase, the easier it is to turn 202 H-MoS<sub>2</sub> into the T/ZT phase. The opposite trend is seen in 203 the Sn-rich portion of the phase diagram (left-hand side of 204 Figure 1). However, due to the position of the phase crossover 205 point at x = 0.6 arising from the higher energy difference of the 206 pure SnS<sub>2</sub> phases with respect to the MoS<sub>2</sub> ones, the phase 207 energy difference is slowly reduced as Mo is added. Remarkably, the T and ZT phases coincide in the CE graph 208 209 in Figure 1. The only point in which the two phases differ is the 210 undoped case that, as stated before, does not exist. Inspection 211 of the DFT structures used to interpolate the CE showed no 212 substantial dissimilarity among structures arising from T and 213 ZT expansions; all Mo-rich alloys showed the same puckered 214 sulfur arrangement of ZT phase (an example is shown in Figure 215 2a). The reason for this is that Sn atoms introduce distortions 216 in the MoS<sub>2</sub> sheet that alter the initial T ordering and allow for 217 relaxation toward the more stable ZT phase. In ZT/T alloy



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**Figure 2.** Side view of two examples of T-phase alloys for  $x \ge 0.8$  (a) and  $x \le 0.2$  (b). Mo atoms are represented in blue, Sn atoms in red, and S atoms in yellow.

structures in the  $x \ge 0.8$  portion of the plot, a progressive 218 elongation of the Mo–S bond is observed from the 2.39–2.46 219 Å range to the 2.40–2.49 Å range as more Sn is added. At the 220 same time the Sn–S bond is reduced to 2.53–2.54 Å from the 221 initial 2.59 Å. On the other hand, Sn-rich DFT structures 222 (Figure 2b) show the typical T arrangement due to the higher 223 Sn content. Sn–S bonds are reduced to 2.57 Å while bonds 224 involving Mo are elongated to 2.49 Å from 2.43 Å in the pure T 225 phase. 226

Beyond the phase stabilization itself, we next explore the 227 question of whether the T and ZT  $MoS_2$  metallic behavior is 228 conserved while alloying with Sn. Thanks to the large set of 229 DFT calculations employed in the expansion fitting procedure, 230 electronic properties can be effectively monitored throughout 231 the phase diagram by extracting the electronic band gap of 232 those calculated structures. Results are plotted in Figure 3a, 233 f3 which closely resembles the cluster expansion graph in Figure 234 1a. Each phase is represented by a different symbol (square for 235 H, star for T and diamond for ZT), while the color indicates 236 the band gap. In the 0.7–1 Mo concentration range both the T 237 and ZT phase lowest energy structures are metallic, indicating 238 that small amounts of Sn in  $MoS_2$  do not affect the metallic 239 character of the compound.

Another important trend shown in Figure 3a is the 241 appearance of semiconducting configurations in the mid Mo 242 concentration range of the phase diagram. Although in the 243 0.35–0.65 concentration range there are many materials with 244 negligible band gap, all of the most stable structures are indeed 245 semiconducting. PBE band gaps extend from 0.2 to 0.9 eV. As a 246 result, alloying not only stabilizes the T-phase but also gives the 247 possibility of tuning electronic properties without causing a 248 phase change. 249

A remarkable phenomenon occurs also within the most 250 stable phases of both MoS<sub>2</sub> and SnS<sub>2</sub>, respectively the H and T 251 phases. As seen in Figure 3a, a slight doping causes a transition 252 from semiconductor to metal. From the analysis of the densities 253 of states (DOS) of the DFT calculated structures, we observe 254 that in some cases a peak in energy close to either the valence 255 or conduction band arises (structure labeled with II in Figure 256 3b), indicating that conduction for these cases is due to the 257 doping effect of the impurities that generate defect states 258 respectively withdrawing or donating electrons from/to semi- 259 conductor bands. By contrast, the DOS of other configurations 260 show broadened states across the Fermi level (structure labeled 261 with I in Figure 3b), suggesting that band conduction takes 262 place in these structures. The projected DOS and electronic 263 densities at the Fermi level (Supporting Information) confirm 264 this conclusion. 265

The semiconductor-metal transition observed in  $Mo_xSn_{1-x}S_2$  266 by changing the alloy composition has many potential 267

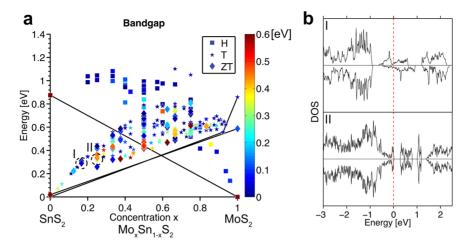


Figure 3. (a) Electronic band gap energies of the DFT structures plotted in Figure 1 for the three phases. H phase is marked with squares, T with stars, and ZT with diamonds. The colormap indicating the band gap was truncated to 0.6 eV to highlight differences between metallic and semiconducting systems. (b) Examples of DOS representative of both band (I dashed circles of panel a) and doping (II circle) conduction.

268 applications. For instance, it allows for the design of metal– 269 semiconductor (MS) junctions for optical and photovoltaic 270 purposes simply by joining two alloy sheets in the same phase 271 at different concentrations. The feasibility of such structures has 272 already been proven for other TMDs (see ref 32). A sample 273 junction is here analyzed to show how this method can be 274 potentially applied. Pure H-MoS<sub>2</sub> was interfaced in plane with a 275 metallic H $-Mo_{0.75}Sn_{0.25}S_2$  forming a monolayer MS junction as 276 shown in Figure 4. For the above-mentioned applications the

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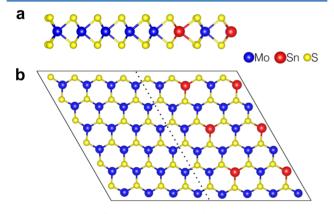


Figure 4. H-MoS<sub>2</sub>/Mo<sub>0.75</sub>Sn<sub>0.25</sub>S<sub>2</sub> metal-semiconductor junction structure, side (a) and top (b) view. Molybdenum atoms are represented in blue, tin atoms in red, and sulfur in yellow.

277 junction must have a highly electron-blocking or hole-blocking Schottky barrier (SB) in order to separate photogenerated 278 charge carriers. The SB is defined as the difference between 279 Fermi level and valence band maximum (for holes) or 280 conduction band minimum (for electrons) of the semi-281 conductor. One detrimental phenomenon that may occur 282 when interfacing a metal with a semiconductor is so-called 283 284 Fermi level pinning, which causes the Fermi level to move to 285 the center of the semiconductor band gap. As a result, electron 286 SB matches hole SB and carriers are not effectively dissociated. 287 Charge redistribution, new bond formation, and interface states 288 are often regarded as the source of the Fermi level pinning 289 effect.<sup>33</sup> All these features were analyzed to gauge their impact 290 on the H-MoS<sub>2</sub>/Mo<sub>0.75</sub>Sn<sub>0.25</sub>S<sub>2</sub> SB height. Since both metal and 291 semiconductor share the same lattice, no bond is broken when

the two materials are brought together. This can be seen by 292 analyzing the DOS of the H-MoS<sub>2</sub> and H-Mo<sub>0.75</sub>Sn<sub>0.25</sub>S<sub>2</sub> part of 293 the heterojunction reported in Figure S5, before and after 294 joining them into the MS junction. Both structures present gap 295 states arising from dangling bonds at the edge of the slabs. Such 296 states are completely removed when the slabs are joined to 297 form the heterostructure of Figure 4 because all bonds become 298 saturated. Bader charge analysis predicts a very small electron 299 transfer toward the semiconductor per interface unit length 300 (~0.01 e<sup>-</sup>/Å), affecting only the two rows of atoms that are 301 closest to the interface. As a consequence, limited Fermi level 302 pinning is expected for this junction. To measure the SBs, the 303 band structure and projected DOS of the MS interface were 304 plotted (Figure 5). Since metal states overlap with semi- 305 f5

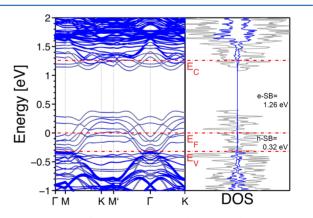


Figure 5. H-MoS<sub>2</sub>/Mo<sub>0.75</sub>Sn<sub>0.25</sub>S<sub>2</sub> metal–semiconductor junction projected band structure and projected density of states. The total DOS lines are plotted in gray, while the ones referring to the semiconductor-side innermost molybdenum atoms are shown in blue. Resulting Schottky barriers for electrons and holes are respectively indicated as e-SB and h-SB.

conductor bands, the identification of the H-MoS<sub>2</sub> valence band <sup>306</sup> maximum and conduction band minimum is obtained, <sup>307</sup> projecting the electronic states of the semiconductor innermost <sup>308</sup> Mo atoms (shown in blue in Figure 5). As seen in Figure 5, the <sup>309</sup> electron SB was calculated to be 1.26 eV, while hole SB was <sup>310</sup> 0.32 eV. These results indicate that a H-MoS<sub>2</sub>/Mo<sub>0.75</sub>Sn<sub>0.25</sub>S<sub>2</sub> <sup>311</sup> junction would be suitable for photovoltaic applications. Once <sup>312</sup>

313 electron-hole pairs are photogenerated in H-MoS<sub>2</sub>, holes can 314 easily diffuse into the metal due to band bending at the 315 interface for a n-doped semiconductor. Electrons, by contrast, 316 are blocked by the 1.26 eV Schottky barrier so that a net 317 photocurrent can flow through the device. Doping H-MoS<sub>2</sub> 318 with the opposite polarity could lead to interesting optical 319 devices for light detection. In this case it is the 0.32 eV h-SB 320 that plays the main role thanks to the internal photoemission 321 process:<sup>34,35</sup> when photons with energy between h-SB and the  $322 \text{ MoS}_2$  band gap impinge on the junction, holes from the metal 323 side jump above the barrier and are injected into the 324 semiconductor giving rise to a net photocurrent. Due to the 325 small barrier height, such a device could detect light down to 326 the infrared range. Even assuming a gradual change in doping 327 concentration of the H–Mo<sub>x</sub>Sn<sub>1-x</sub>S<sub>2</sub> side, the junction will still 328 result in a metal-semiconductor interface since for low 329 substitutional concentrations of Sn in H-MoS<sub>2</sub>, the alloy 330 behaves as a metal (see Figure 3a). Thanks to the large 331 concentration range of metallic alloys, there is no need for 332 precise doping to achieve a MS junction.

To conclude, a new technique for MoS<sub>2</sub> T-phase stabilization 333 334 was proposed based on alloying with another metal 335 dichalcogenide with stable T phase in order to induce a 336 phase switch from H to T. A combined cluster expansion and 337 DFT approach was exploited to theoretically predict the phase 338 diagram. Our results show that the addition of impurities 339 efficiently lowers the energetic cost of the T-phase, and that 340 alloying is an effective way to tune the TMD electronic 341 properties. The reported intraphase metal-semiconductor 342 transition occurring for a slightly doped material could be 343 useful for multiple applications. Toward this end, we examined 344 a MS junction between H-MoS<sub>2</sub> and H-Mo<sub>0.75</sub>Sn<sub>0.25</sub>S<sub>2</sub> and 345 found that due to the electron and hole SB heights, the junction 346 could be suitable for photovoltaic and photodetection 347 applications.

### 348 **ASSOCIATED CONTENT**

#### 349 Supporting Information

350 The Supporting Information is available free of charge on the 351 ACS Publications website at DOI: 10.1021/acs.jpclett.6b00794.

MoS<sub>2</sub> and SnS<sub>2</sub> spin-orbit coupling effect, phonon spectra, impurity-impurity interaction, ECI coefficients

in Cluster Expansion, band conduction in T/ZT alloys in

355 CE and metal-semiconductor junction characterization.356 (PDF)

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#### 361 Notes

362 The authors declare no competing financial interest.

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